

Poverty as functioning deprivation: Global Estimates

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Introduction

- Conceptualization of poverty
- Choice of dimensions and indicators of poverty
- Methodology
- Gaps in existing literature







Conceptualization of poverty

- We define poverty as a deprivation of a number of functionings (actual achievements), considered vital but not equally important for human wellbeing, caused by an inadequate command over market or nonmarket resources.
- Capability space vs. functionings space



Dimensions of poverty

Functioning Poverty Index

- Reductionist
- More Comprehensive

FPI	MPI	HDI	HPI
Living a life of normal length	Heath	Life	Longevity
Adequate nourishment	Education	Education	Literacy
Healthy living	Living standard	Income	Living standard
Employment			
Literacy			
Clean household energy			
Economic freedom			
Political freedom			
Clean environment			

Choice of functionings: theoretical justification

- Choice of capabilities/ functionings based on perfectionist theory
- Perfectionism answers what constitutes human wellbeing independently of the subjective preferences of the individuals.
- Perfectionism is pragmatic
- History on the side of perfectionist approach: Aristotle, Ghazali, Shatibi, Nussbau m

Should a wholesome meal satisfy this father?



Man holds the hand of 8 years old child killed by a tsunami in India 2004

Dimensions of life not equally important

"Losses in human welfare linked to life expectancy, for example, cannot be compensated for by gains in other areas such as income or education" (UNDP, 2005).



Famine in Ethiopia: Does she need a job?

Weights as value-judgments: case for unequal weights

- Necessities, Needs, Embellishments
- Dimensions on which bare survival depends are more important
- Urgency of human needs: immediate vs. distant

Is the deprivation of the three children equally severe?

Hazardous household energy

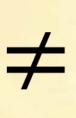
Child labor

Malnutrition











$$M = \begin{bmatrix} \frac{\sum_{i \in S_{1}} I_{i,1}}{S_{1}} & \frac{\sum_{i \in S_{1}} I_{i,2}}{S_{1}} & \cdots & \frac{\sum_{i \in S_{1}} I_{i,193}}{S_{1}} \end{bmatrix} \\ = \begin{bmatrix} \frac{\sum_{i \in S_{2}} I_{i,1}^{D_{2}}}{S_{2}} & \frac{\sum_{i \in S_{2}} I_{i,2}^{D_{2}}}{S_{2}} & \cdots & \frac{\sum_{i \in S_{2}} I_{i,193}^{D_{2}}}{S_{2}} \end{bmatrix} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\sum_{i \in S_{9}} I_{i,1}^{D_{9}}}{S_{9}} & \frac{\sum_{i \in S_{9}} I_{i,2}^{D_{9}}}{S_{9}} & \cdots & \frac{\sum_{i \in S_{9}} I_{i,193}^{D_{9}}}{S_{9}} \end{bmatrix} \end{bmatrix}$$

$$= \begin{bmatrix} \mu_{1,1} & \mu_{1,2} & \cdots & \mu_{1,193} \\ \mu_{2,1} & \mu_{2,2} & \cdots & \mu_{2,193} \\ \vdots & \vdots & \ddots & \vdots \\ \mu_{9,1} & \mu_{9,2} & \cdots & \mu_{9,193} \end{bmatrix}$$

- So we propose to assign to dimension n-1 just enough weight that its 1st quartile $q_1(\mu_{n-1})$ equals the 3rd quartile $q_3(\mu_n)$ of the nth dimension.
- $\mathbf{Q}(\theta_i)$ is a 9 x 1 vector of the ratios of the third and first quartiles of pairs of succeeding dimensions.

$$\mathbf{Q}(\theta_i) = \begin{pmatrix} \theta_1 \\ \theta_2 \\ \vdots \\ \theta_9 \end{pmatrix}$$

- where
- $\theta_i = \frac{q_3(\mu_{i+1,j})}{q_1(\mu_{i,j})}$ for all $i = \{1, ..., n-1\}$ and $\theta_n = 1$.
- NOTE: θ may take any value depending on an alternative normative judgment

• As we have to make sure that a dimension θ_i gets sufficient weight so that its first quartile equals the third quartile of the dimension θ_{i+1} , we need to attach to the dimension θ_i the weight equal to the product of θ_{i+1} , θ_{i+2} ... θ_n .

$$\omega_i = \prod_{i=1}^n \theta_i$$
 for all $i = \{1, ..., n\}$ and $\omega_n = 1$

• Note that we assign no weight to the 9th dimension, $\theta_9 = \omega_9 = 1$. Ω is the 9 x 1 vector of ω_i which takes the product of the quartile ratios to compute the weights. The ω_9 in the following vector represents no weight while the ω_1 represents the highest weight.

$$\Omega = \begin{pmatrix} \omega_1 \\ \omega_2 \\ \vdots \\ \omega_9 \end{pmatrix}$$

• The 9 x 1 column vector Ω thus represents the weights to be attached to the 9 x 193 matrix M. We create a 9 x 9 diagonal matrix D from the 9 x 1 column vector ω_i (entries of Ω are on the main diagonal (\searrow) and the entries off the main diagonal are all zero) and multiply it with 9 x 193 matrix M to get a 9 x 193 matrix Ψ . Finally we get 1 x 193 row vector Γ by summing the 9 x 193 matrix Ψ .

$$\Psi = D.M$$

$$\Gamma = \sum_{i=1}^{9} \Psi_{i,j}$$

FPI: Poverty Estimates of some selected countries

	1990-	2000	2001-	-2010	
Country	FPI. (%)	Rank	FPI (%)	Rank	Change (%)
Sierra Leone	100	1	90. 71	2	9. 29
Chad	94. 73	2	96. 52	1	-1. 79
Afghanistan	91. 02	3	85. 94	4	5. 08
Central African Republic	88. 52	4	87. 41	3	1. 11
Zambia	88. 46	5	79. 73	6	8. 73
Pakistan	55, 19	43	49, 82	49	5, 36
India	49. 56	55	42. 37	56	7. 19
United States of America	4. 07	187	2	186	2. 07
Canada	2. 85	190	0.37	190	2. 48
Iceland	1. 01	191	-1. 47	193	2. 49
Switzerland	0.88	192	-1. 29	192	2. 17
Japan	0	193	-0. 07	191	0.07
World Average	34. 84		31. 09		3. 75

Note. The negative poverty in the three countries including Iceland, Switzerland and Japan in the period 2000-2010 shows that only these countries reduced their deprivation level relative to the deprivation level in Japan in the period 1990-2000.

Even if there is an overall decrease in poverty in every region of the world, it is still far cry from meeting the goals outlined in MDGs which seek to halve poverty in the world by 2015.

Comparison of FPI with \$1.25 poverty line

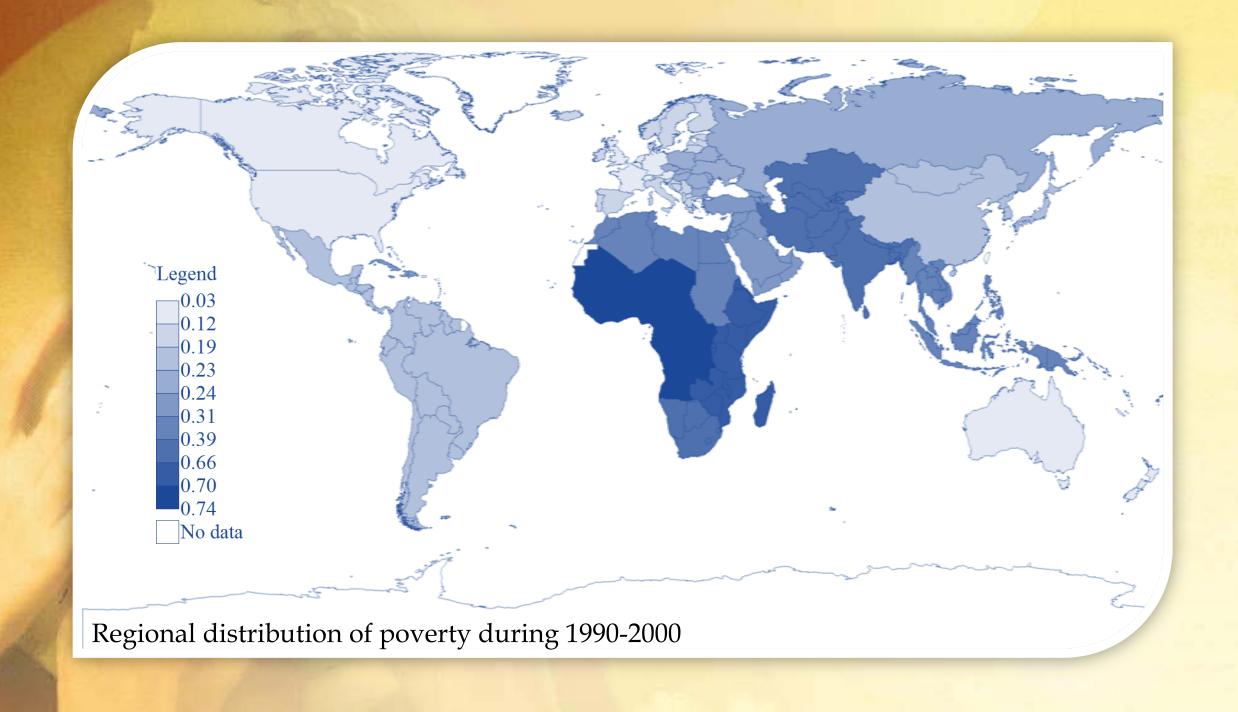
- FPI in the world decreased by 3.75% from 1990-2000 to 2001-2010.
- World Bank estimated that there was a decline of around 30% in the extreme poverty. Almost 50% of the population of the world was below the \$1.25 poverty line in 1981 which decreased to 21% in 2010.
- The number of people living on less than \$1.25 per day has decreased dramatically in the past three decades, from half the citizens in the developing world in 1981 to 21 percent in 2010, despite a 59 percent increase in the developing world population (World Bank).

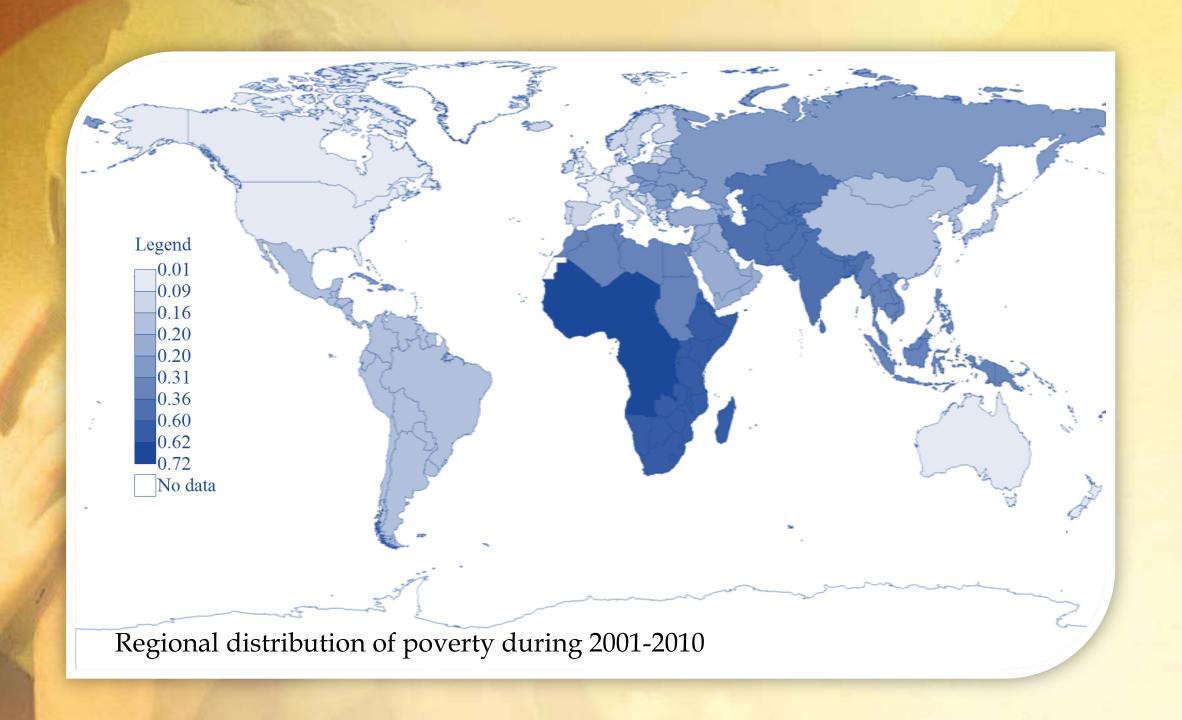
Pakistan	2009	2010	2011	2012
PPP conversion factor for Pakistan	0.4	0.4	0.5	0.5
Pakistan's exchange rate	81.71	85.19	86.34	93.4
\$1.25 poverty line in Pakistan rupee terms	32.684	34.076	43.17	46.7

Purchasing power parity conversion factor

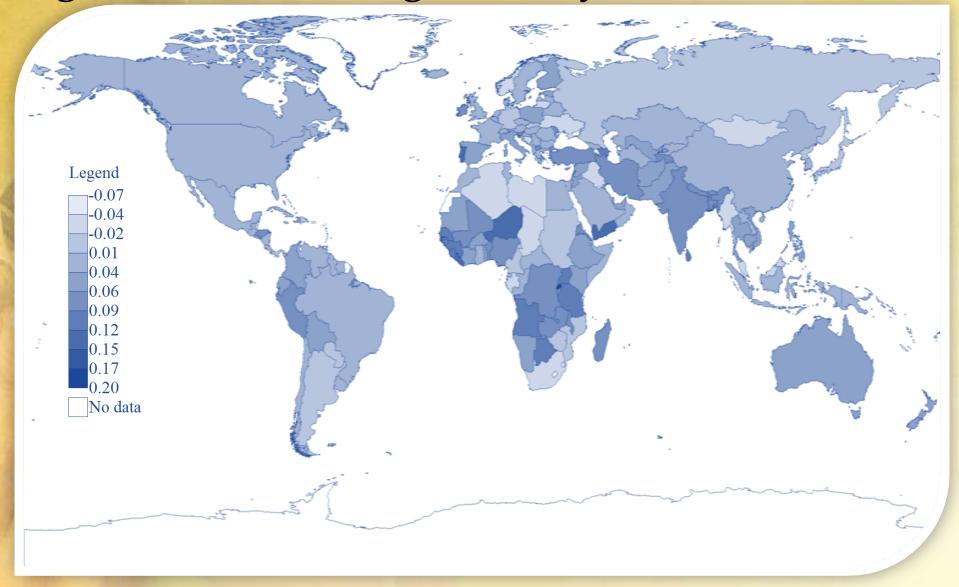
• Purchasing power parity conversion factor is the number of units of a country's currency required to buy the same amount of goods and services in the domestic market as a U.S. dollar would buy in the United States. The ratio of PPP conversion factor to market exchange rate is the result obtained by dividing the PPP conversion factor by the market exchange rate. The ratio, also referred to as the national price level, makes it possible to compare the cost of the bundle of goods that make up gross domestic product (GDP) across countries. It tells how many dollars are needed to buy a dollar's worth of goods in the country as compared to the United States.

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Change in Functioning Poverty over a decade



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Paternalism & arbitrariness: nemesis of the composite indices?

- Paternalism not necessarily incompatible with theories of wellbeing (Zamir, 1998)
- Level of generality in the definition of wellbeing: local specification vs. plural specification (Clark, 2002)



- Composite measures necessarily loose information
- Excluding relevant indicators of wellbeing leads to implausible poverty statistics

